

Abstract Submitted
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Topology of Electroweak QDMs DILLON SCOFIELD, Dept. of Physics, Oklahoma State Univ./ApplSci, Inc. — Quantum dynamical manifolds (QDMs) are solutions of the quantum dynamical manifold equations (QDMEs) describing mass-spacetimes having specified internal color, gauge, and flavor symmetry. The electron momentum-space manifold (k -space representation of the color Lie algebra $su(2)$ QDM) is topologically orientable, being topologically equivalent to an S^2 -sphere, and the photon k -space manifolds are not orientable being equivalent to a Klein bottle, K^2 . A “new” kind of particle having non vanishing mass-parameter is found. As this parameter vanishes it represents the Dirac neutrino. Because of the dimension of the color algebra is three, when including many-body spacetime effects, there are *exactly* three leptons and lepton neutrinos. By examining the topology of the new neutrino solutions in k -space, an argument for the existence of only left-handed neutrinos is found. These neutrino manifolds are topologically equivalent to the 2D projective space, RP^2 . Tentative vector boson (W^+ , $Z^0(\bar{Z}^0)$, W^-) solutions to 3D $su(2)$ representation color algebra symmetric, 3D $SU(2)$ representation flavor group symmetric QDMEs contain the T^2 torus manifold. Together the electrons (S^2), neutrinos ($RP^2 : S^2 \# RP^2$), photons ($K^2 : S^2 \# RP^2 \# RP^2$) and the vector bosons (T^2) form a topological semigroup ($S^2, T^2, RP^2, \#$) under the topological connected sum ($\#$). Thus k -space representations of electroweak particles can be joined describing interacting electroweak manifolds.

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