

Abstract Submitted  
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**Measuring an unknown phase with quantum-limited precision using nonlinear beamsplitters** YUPING HUANG, Ohio University, MICHAEL MOORE, Michigan State University — High precision phase measurement is currently a central goal of quantum interferometry. In general, the precision is described by the phase estimation uncertainty  $\Delta\theta$ , which is characterized by two scaling behaviors, shot-noise limited with  $\Delta\theta \sim 1/\sqrt{N}$  and Heisenberg limited with  $\Delta\theta \sim 1/N$  ( $N$  the total particle number). According to Bayesian analysis, Heisenberg limited precision for  $\theta = 0$  can be achieved in a Mach-Zehnder interferometer with  $(|N-1, N+1\rangle + |N+1, N-1\rangle)/\sqrt{2}$  as input state based and a single measurement or  $|N, N\rangle$  input based on multiple measurements. As  $\theta$  deviates from zero, both schemes degrade rapidly to worse than shot-noise-limited precision. In contrast, a Quantum Fourier Transform (QFT) based interferometer can measure an arbitrary  $\theta$  at Heisenberg limited precision, but requires a quantum computer. To extend the range of precisely measurable  $\theta$  without a quantum computer, we propose using nonlinear beam-splitters. We find that this can achieve nearly Heisenberg-limited precision over a wide range of  $\theta$ . This scheme can be implemented in a bimodal Bose-Einstein condensate (BEC) system with tunable scattering length. Numerical calculations show: i) at  $\theta = 0$ ,  $\Delta\theta \sim 1/N$ ; and ii) as  $\theta$  moves towards  $\pm\pi/2$ , the precision crosses over smoothly to  $\Delta\theta \sim 1/\sqrt{N}$ , providing a wide range over which the precision is nearly Heisenberg limited.

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