

Abstract Submitted  
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**Three dimensional Solutocapillary Convection in Spherical Shells**<sup>1</sup> PRAVIN SUBRAMANIAN, ABDEL FATTAH ZEBIB, Rutgers University — Nonlinear, time-dependent, three-dimensional, variable viscosity, infinite Schmidt number solutocapillary convection in spherical shells is computed by a finite-volume method. The shell contains a solute and a solvent, and the inner boundary is impermeable and stress free. The solvent evaporates at the outer surface into a water-solvent environment with a prescribed mass transfer coefficient. Convection is driven by surface tension dependence on the solvent concentration  $C$ . A time-dependent diffusive state characterized by concentration  $C_d(r, t)$  and a receding outer surface  $r_{2d}(t)$  is possible and is a function of the mass transfer Biot number, a partition coefficient, and ambient solvent concentration  $C_\infty$ . It loses stability at critical values of the Marangoni number and degree of surface harmonic. In the limit of small Capillary number  $Ca \rightarrow 0$  the outer radius deviation from sphericity  $\delta(\theta, \phi, t)$  is  $O(Ca)$  and  $r_2(\theta, \phi, t)$  is given by  $r_{2d}(t)$  in the  $O(1)$  convection. We compute supercritical motions and companion  $\delta(\theta, \phi, t)$  in this moving boundary problem subject to random initial conditions and compare nonlinear results with those from linear theory, axisymmetric calculations and available experiments.

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