Abstract Submitted for the DFD06 Meeting of The American Physical Society

Streamwise Reynolds Stress Partitioned into Active and Inactive **Correlations.** RONALD PANTON, U. Texas — The streamwise Reynolds stress  $\langle uu \rangle$  in wall layers has a peak near the wall that is an order of magnitude higher that the shear stress juv;. Townsend attributed this to an "inactive" swirling motion u-w that does not contribute to the shear stress. The peak continues to increase with Reynolds number. Degraaff and Eaton (JFM, 422, p 319) and Metzger and Klewicki (P of F, 13, p 692) have essentially shown that the peak increases as  $\langle uu \rangle_{MAX}/u_*^2 \sim U_0/u_*$ . With these facts in mind, it is proposed that the inactive motion  $u_I$  scales with  $(U_0 u_*)^{1/2}$ , and the active motion  $u_A$  scales with  $u_*$ . With these ideas, an asymptotic expansion for the streamwise stress consists of three terms with gauge functions 1,  $(u_*/U_0(Re^*))^{1/2}$ , and  $u_*/U_0(Re^*)$ :  $\langle uu \rangle / (u_*U_0) \sim$  $f_0(y) + f_1(y)(u_*/U_0)^{1/2} + f_2(y)(u_*/U_0)$ . The terms,  $f_0(y) \notin f_2(y)$ , represent the auto correlations of the inactive and active motions respectively, while the  $f_2(y)$  term represents the cross-correlation of those motions. This form appears to be valid for both inner and outer regions. Data for channel flow was analyzed by making crude approximations for  $f_1(y) & f_2(y)$  and solving for  $f_0(y)$ . Equations fitted to  $f_0(y)$  allow a composite expansion to predict the streamwise Reynolds stress as a function of y and  $Re_*$ .

> Ronald Panton U. Texas

Date submitted: 02 Aug 2006

Electronic form version 1.4