

Abstract Submitted
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Variable aggregate cross sections and RMS mean free paths

STEWART BREKKE¹, Northeastern Illinois University — In a previous paper it was suggested that the area cross sections of nuclei and particles was a variable given by the formula $s = (p)b^2$ where $b = [A \cos 2(p)ft]^2$ due to nuclear vibration so that $s = (p)[A \cos 2(p)ft]^2$, a variable cross section using a simple oscillator. If the aggregate cross section $= n(\text{Area})(s)dx$, using the variable nuclear cross section would $= n(\text{Area})(p)[A \cos 2(p)ft]^2 dx$. If the maximum value for $\cos=1$, aggregate variable cross section $= n(\text{Area})(p)A^2$. RMS $\cos^2 = (1/2)$, so that the aggregate variable nuclear cross section has an average value $= .5n(\text{Area})pA^2$. The mean free path also uses the area cross section so that $l = 1/n(s)$. Substituting for s the variable nuclear mean free path $= 1/n(p)[A \cos 2(p)ft]$. If $\cos \max = 1$, the nuclear maximum free path $= 1/n(p)A^2$. RMS average mean nuclear free path $= 2/n(p)A^2$. b = the impact parameter, A = the amplitude of nuclear motion and $A \cos 2(p)ft$ is the nuclear oscillator. In all cases $A \cos 2(p)ft$ is greater than the nuclear radius.

¹refer to previous paper on variable cross sections and nuclear barrier heights

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