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### **Universality of the Edge-Tunneling Exponent of Fractional Quantum Hall Liquids<sup>1</sup>**

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Fractional quantum Hall states are characterized by their topological order. For example, the edge physics is uniquely determined by the bulk and gives a non-Ohmic relation  $I \propto V^\alpha$  for tunneling into the edge, where the exponent  $\alpha$  is a universal constant. In the simplest case of filling factors  $\nu = n/(np + 1)$ , ( $n$  and  $p$  are integers  $> 0$ ,  $p$  even) the exponent is  $p + 1$ . However, experiments show substantial deviations. In a microscopic model of fractional quantum Hall liquids, we calculate the edge Greens function by exact diagonalization and obtain the exponent  $\alpha$ . We consider the 1/3 and 2/3 states with the Coulomb interaction and a variety of edge confining potentials. We find that the form of the confinement, such as sharpness of the edge and/or the strength of the confining potential which could lead to edge reconstruction, may cause deviations from universality in the edge-tunneling I-V exponent. We study two types of edge potentials: a sharp edge induced by a cut-off of angular momentum beyond  $m_{max}$ ) and one induced by a uniform neutralizing background charge (a distance  $d$  from the 2-d layer). Without the background charge, the exponent retains its universal value for soft edges (large  $m_{max}$ ) but is non-universal for hard edges. In the presence of background charge and strong confinement (small  $d$ ), the exponent is universal even for hard edges; for weak confinement and hard edges there is a deviation from the universal value while for soft edges there are finite-size corrections to  $\alpha$ , consistent with the edge reconstruction scenario. The relation of these results to experiments will be discussed.

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