

Abstract Submitted
for the MAR17 Meeting of
The American Physical Society

**Bridging the Gap Between Stationary Homogeneous Isotropic
Turbulence and Quantum Mechanics**¹ SIAVASH SOHRAB, Northwestern Uni-

versity — A statistical theory of stationary isotropic turbulence ¹ is presented with eddies possessing Gaussian velocity distribution, Maxwell-Boltzmann speed distribution in harmony with perceptions of Heisenberg ², and Planck energy distribution in harmony with perceptions of Chandrasekhar³ and in agreement with experimental observations of Van Atta and Chen (*J. Fluid Mech.* 34 (3) 497-515, 1968). Defining the action $S = -m\Phi$ in terms of velocity potential of atomic motion, scale-invariant Schrödinger equation is derived¹ from invariant Bernoulli equation. Thus, the gap between the problems of turbulence and quantum mechanics is closed through connections between Cauchy-Euler-Bernoulli equations of hydrodynamics, Hamilton-Jacobi equation of classical mechanics, and finally Schrödinger equation of quantum mechanics. Transitions of particle (molecular cluster c_{ji}) from a small rapidly-oscillating eddy e_j (high-energy level- j) to a large slowly-oscillating eddy e_i (low energy-level- i) leads to emission of a sub-particle (molecule m_{ji}) that carries away the excess energy $\varepsilon_{ji} = h(\nu_j - \nu_i)$ in harmony with Bohr theory of atomic spectra. \ \ ¹ Sohrab, S. H., *Chaotic Modeling and Simulation* (CMSIM) **3**, 231-245 (2016). ² Heisenberg, W., *Proc. Roy. Soc. A* **159**, 402-406 (1948). ³ Chandrasekhar, S., *Stochastic, Statistical, and Hydrodynamic Problems in Physics and Astronomy*, Selected Papers, vol.3, University of Chicago Press, Chicago, 515-528, 1989.

¹NASA grant No. NAG3-1863

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Date submitted: 09 Nov 2016

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