

Abstract Submitted
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The Derivation of the Equation of the Damped Harmonic Oscillator from Lagrangian Methods with a Kaluza-Klein-like Hidden Dimension

JOHN BRANDENBURG, Orbital Technologies Corporation — Lagrangian methods cannot include non-conservative forces and therefore cannot produce a simple derivation of the ubiquitous and very useful damped harmonic oscillator equation. Recently, it has been found that the damping term can be included in a Lagrangian approach by employing a Kaluza-Klein hidden dimension (Klein 1926). In this application of the method, the hidden variable occurs as a “subscale model” where the normal Lagrangian for a harmonic oscillator is written $.5(mq'^2 - kq^2 + 2sq'q^* + m^*q_o'^2)$ where q^* is an integral over a short cyclic collision time of subscale molecular model coordinate derivative q_o' where a molecular coordinate shares velocity with a mass m as it collides and “sticks” to it, so that $q_o'=q'$ during the interval of integration, and finally m^* is a very small “molecular” mass. This results in the total derivative acquiring the term sq' and the resulting equations $mq'' + sq' + kq = 0$ and $m^*q_o' = \text{Constant}$ being recovered. This exercise gives insight to the use of Kaluza-Klein hidden dimension in Gravitational physics and also suggests such hidden dimensions can add a “thermal bath” to otherwise conservative problems. Klein O. (1926) “Quantum Theory and Five-Dimensional Relativity Zeitschrift fur Physik” **37**, 895.

John Brandenburg
Orbital Technologies Corporation

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