

Abstract Submitted
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The Average Uncertainty of a Three Dimensional Nuclear Oscillator STEWART BREKKE, Northeastern Illinois University (former grad student)
— Consider a three dimensional nuclear oscillator in a solid. The position vector is $r = ((A \cos a)^2 + (B \cos b)^2 + (C \cos c)^2)^{1/2}$, where A,B,C are amplitudes of oscillation. If $A=B=C$, $\Delta p \geq h/2(\pi)(\Delta r)$, $p(av)$ is the average momentum of the oscillator, $a=b=c$, then $\Delta p(av) = h/2(\pi)(3\Delta A \cos^2)^{1/2}$, if ΔA is the uncertainty in the amplitude. The maximum $\cos = 1$, minimum $\cos = 0$ and RMS $\cos = 0.707$ (average) so max.uncertainty $\Delta p(av) = \text{infinite}$, min uncertainty $\Delta p(av) \geq h/10.83\Delta A$ and average uncertainty $\Delta p(av) = h/3.45 \Delta A$. This paper suggests the concept of average uncertainty.

Stewart Brekke
Northeastern Illinois University (former grad student)

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