

Abstract Submitted  
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**Dynamics of Moving bodies** PRANOY GHOSH, None — “A problem with defining force as rate of change of linear momentum”: Let us consider a body of mass  $m$ , moving with velocity  $u$  initially, in the next time interval it is acted by a force in the direction of motion, and at instant  $t+$  its mass is  $M$  and velocity  $v$ .  $F \cdot t = Mv - mu$  or,  $v = m/M \cdot u + F/M \cdot t$  or,  $v = B \cdot u + A \cdot t$  where  $A = F/M, B = m/M$ . So other eqn of motion are:  $dS = v dt$  or  $dS = (B \cdot u + A \cdot t) dt$  or  $S = B \cdot u \cdot t + A/2 \cdot t^2$  And  $v^2 = B^2 u^2 + 2A \cdot B \cdot u \cdot t + A^2 t^2$  or,  $v^2 = B^2 u^2 + 2A \cdot S$  However, defining acceleration as rate of change of velocity, we have established an identity  $v = u + a \cdot t$  which is independent of choice of  $v, u$ .  $M \gg m$ ,  $B$  is very small, product  $B \cdot u$  or its higher power always tend to be negligible, even in cases when  $u$  is finitely large. In cases  $v \rightarrow c, F, M \rightarrow \infty$ , thus  $A$  becomes indeterminate. There is inconvenience as  $A, B$  are not predetermined and are functions of  $u, v$  and thus the definition goes in circle. Hence we conclude, our hypothesis that force = rate of change of linear momentum is not sufficient; we would now find trial solutions to define force in most convenient way.

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None

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