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**Quantum  $k$ -core Percolation on the Bethe Lattice** L. CAO, J.M. SCHWARZ — Quantum percolation is the study of hopping transport of a quantum particle on randomly diluted percolation clusters. We investigate the Landauer conductance through the dilute Bethe lattice. We show that (1)  $p_q$ , the quantum percolation critical probability, is greater than  $p_c$ , the geometric percolation critical probability, and (2) for  $p_q < 1$  that the quantum conductance transition is continuous with a quantum conductance exponent of 2, as in the classical case. We also study the Landauer conductance through a dilute Bethe lattice where the dilution is subject to the condition that each occupied bond/site must have at least  $k$  occupied neighboring bonds/sites. This geometric constraint defines  $k$ -core percolation. We find, again, that  $p_q > p_c$  and, for  $p_q < 1$ , we calculate a quantum conductance exponent of 2 for  $k = 3$  and a coordination number of four.

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