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**Reversibility in Quantum Models of Stochastic Processes** DAVID GIER, University of Kansas, JAMES CRUTCHFIELD, JOHN MAHONEY, RYAN JAMES, University of California at Davis — Natural phenomena such as time series of neural firing, orientation of layers in crystal stacking and successive measurements in spin-systems are inherently probabilistic. The provably minimal classical models of such stochastic processes are  $\varepsilon$ -machines, which consist of internal states, transition probabilities between states and output values. The topological properties of the  $\varepsilon$ -machine for a given process characterize the structure, memory and patterns of that process. However  $\varepsilon$ -machines are often not ideal because their statistical complexity ( $C_\mu$ ) is demonstrably greater than the excess entropy ( $\mathbf{E}$ ) of the processes they represent. Quantum models (q-machines) of the same processes can do better in that their statistical complexity ( $C_q$ ) obeys the relation  $C_\mu \geq C_q \geq \mathbf{E}$ . q-machines can be constructed to consider longer lengths of strings, resulting in greater compression. With code-words of sufficiently long length, the statistical complexity becomes time-symmetric – a feature apparently novel to this quantum representation. This result has ramifications for compression of classical information in quantum computing and quantum communication technology.

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